

Chapter 10 / Example 2

Cartesian and polar form

Write the following complex numbers in polar form:

a $4\sqrt{3} + 4i$ **b** $-2 + 3i$ **c** $-12 - 5i$ **d** $4 - 2i$

Find the modulus and argument of $4\sqrt{3} + 4i$.

Press **MENU** 1 **RUN-MAT** to display the Run-Matrix screen for arithmetical calculations.

To enter the modulus function press **F4** MATH **F3** Abs

Type $4\sqrt{3} + 4i$ and press **EXE**.

To enter i press **SHIFT** 0 i

$$|4\sqrt{3} + 4i| = 8.$$

Press **OPTN** **F3** COMPLEX **F3** Arg.

Type $(4\sqrt{3} + 4i)$ and press **EXE** **□**

Remember to enclose the complex number in parentheses.

The argument is $\frac{\pi}{6}$.

$$\text{Hence } 4\sqrt{3} + 4i = 8e^{\frac{\pi}{6}i} = 8\text{cis}\frac{\pi}{6}.$$

To find the value of the argument as a decimal press **S/D** **□**

$$\frac{\pi}{6} \approx 0.524.$$

The fx-CG50 will find both the modulus and argument directly.

Type $-2 + 3i$.

Press **OPTN** **F3** COMPLEX **F6** \triangleright **F3** $\triangleright \angle\theta$ and press **EXE** **□**

$$-2 + 3i = 3.61e^{2.16i} = 3.61\text{cis}2.16.$$

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If the GDC is set in degrees, the GDC attempts to give the number in polar form.

Press **SHIFT** **MENU** (SETUP).

Scroll down using **▼** to Angle and change the setting to **F1** Deg.

Press **EXIT**.

```
Input/Output:Math
Mode          :Comp
Frac Result   :d/c
Func Type     :Y=
Draw Type     :Connect
Derivative    :Off
Angle         :Deg
Deg Rad Gra
```

Type $-12 - 5i$.

Press **OPTN** **F3** COMPLEX **F6** **▷** **F3** **▶** $\angle\theta$ and press **EXE** **□**.

The modulus of $-12 - 5i$ is 13 and its argument is -157° .

```
-12-5i▶r∠θ
          13∠-157.3801351
□
ReP ImP ▶r∠θ▶a+bi ▶
```

So, to convert a complex number from Cartesian to polar form, ensure that the GDC is in radian mode.

Type $4 - 2i$.

Press **OPTN** **F3** COMPLEX **F6** **▷** **F3** **▶** $\angle\theta$ and press **EXE** **□**.

$$4 - 2i = 4.47 e^{-0.464i} = 4.47 \text{cis} - 0.464.$$

The GDC will choose a principal value of the argument in the interval $]-\pi, \pi]$ but some authors use $[0, 2\pi[$.

```
4-2i▶r∠θ
          4.472135955
          ∠-0.463647609
□
ReP ImP ▶r∠θ▶a+bi ▶
```